



QUINSERTION: A HYBRID SORTING TECHNIQUE

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Abstract— Sorting is the basic problem in computer science. In this we have to rearrange data like numerical or alphabetical either in ascending or in descending order. There are many sorting algorithms in literature like Merge sort, Heap sort, Quick sort, Insertion sort, Smooth sort and many more. There is a drawback in quick sort that its complexity is $O(n^2)$ when data is already in sorted manner. To overcome this problem we are introducing an algorithm called Quinsertion sort which is combination of quick sort and insertion sort.

Keywords— *Sorting Algorithm, Quick Sort, Insertion Sort, Data Structures, Hybrid Approach, Time Complexity*

I. INTRODUCTION

Sorting has been a thoughtful area for the algorithmic researchers. And a lot of resources are invested to put forward a more working sorting algorithm. For this reason many existing sorting algorithms were experiential in terms of the efficiency of the algorithmic complexity [1]. Quicksort [2] was observed to be both cost-effective and efficient. A lot of algorithms are very well recognized for sorting the unordered lists. Most significant of them are Heap sort, Bubble sort, Quicksort, and Insertion sort [3]. Efficient sorting is significant to optimize the utilization of other algorithms that necessitate sorted lists to work in the approved manner; it is also often in producing human-readable output [4]. The insertion sort is used in combination with quick sort as the time complexity of the insertion sort for best case is $O(n)$ which is linear. Insertion sorting algorithm is another important algorithm, used for sorting small lists. But the study shows that the EIS is more competent, in theory, logically, and practically as compared to the real insertion sorting algorithm and also good for sorting larger lists. Sorting has been well thought-out as an elementary problem in the study of algorithms, that due to many reasons:

- The need to sort information is intrinsic in many applications.
- Algorithms often use sorting as a key subroutine and competent sorting is important to optimize the utilization of new algorithms that necessitate sorted lists to work appropriately.

The output should satisfy 2 major conditions:

- The output is a combination, or reordering, of the input.
- The output is in non decreasing order.

The rest of the paper is organized as follows section II contains Quick sort, Section III contains Insertion sort, section IV contains proposed Quinsertion sort Algorithm, section V contains Results and section VI contains Conclusion.

II. QUICK SORT

An array having large number of elements with a random order needs to be ordered in an ascending or descending manner. Quick sort can deal with this problem by using two key ideas: The first idea of Quick sort is that the problem can be divided and solved. The problem can be broken into smaller arrays, and those smaller arrays can be sorted easily. This is done by choosing an element from the array as pivot element, and reordering the array so that all elements which are smaller than the pivot appear before the pivot and all elements which are larger than the pivot come after it. This process is called partitioning process. Second, by partitioning the array into two sub parts, then partitioning those two parts recursively into arrays of single elements, two already sorted arrays can be concatenated on either side of the chosen pivot element into one array, as an array with one element is already sorted. Refer to the following pseudocode:

```
Input – A: array of n elements, left: left sub array  
from the pivot, right: right sub array from the pivot  
Output – array A sorted in ascending order  
1. proc quicksort(A,left,right)  
2. if right > left  
3. pivot = random(A)  
4. newPivot=partition(A,left,right,pivot)  
5. quicksort(A, left, newPivot – 1)  
6. quicksort(A,newPivot+1,right)  
7. return A
```

Fig. 1. Pseudocode for Quick Sort Algorithm

```

Input – A: array of n elements,
left: array of m elements,
right: array of k elements,
pivot: int of pivot index
Output – array result sorted in ascending order
8. proc partition(A,left,right,pivot)
9. val = A[pivot]
10. swap(A[pivot],A[right])
11. index = left
12. for I from left to right -1
13. if A[i] >= val
14. swap(A[i],A[index])
15. index=index+1
16. swap(A[i],A[right])
17. return index
    
```

Fig. 2. Pseudocode of the partition step of quick sort

As the pseudocode shows, after a new pivot element is randomly chosen (lines 3-4), the array is broken up into a left half and a right half and sorted recursively (lines 5-6). In the partition algorithm, the two sub arrays are compared to determine how they should be arranged (lines 12-15). In the following examples, using the given input, the partitioning of the array (Figure 3) and how the sub arrays are concatenated back into a sorted array (Figure 4) are illustrated.

Inputs – A: array of n elements (33 55 77 11 66 88 22 44)
 Output – array A in ascending order

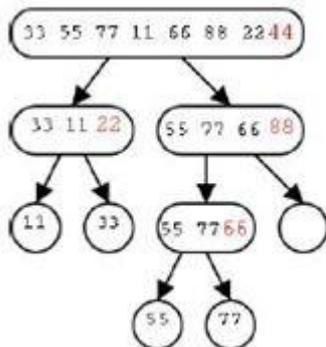


Fig. 3. Shows the partitioning of the input array into single element arrays. The red element is the pivot element of the array.

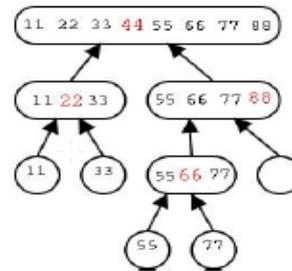


Fig. 4. From the bottom up, shows the concatenating of the single element arrays. The red element is the pivot element.

As the example shows, array A is broken in half based on the pivot until they are in arrays of only a single element, then those single elements are concatenated together until they form a single sorted array in ascending order.

III. INSERTION SORT

The insertion sort algorithm works as follows: Consider an array A[0..n-1] with n- elements. This algorithm scans A from A[0] to A[n-1], inserting each element A[k] into its proper position in the previously sorted sub array A[0], A[1],A[k-1]. This can be accomplished by comparing A[k] with A[k-1], A[k] with A[k- 2] and so on, until we found an element A[j] such that A[j]<=A[k]. Then each of the elements A[k-1],A[k- 2].....A[j+1] is moved forward one location , and A[k] is the inserted in the j+1st position in the array.

Here is a pseudo code of this algorithm:

```

Algorithm InsertionSort(A[0..n-1])
// Input: An array A[0..n-1] with n- elements
//output: An array A[0..n-1] sorted in ascending order
for(i=1 ;i<=n-1;i++)
{
    t=A[i];
    j=i-1;
    While(j >= 0 && t < A[j])
    {
        A[j+1] = A[j]; //Move element forward
        j=j-1;
    }
    A[j+1] = t; // Insert element in proper place
}
    
```

Fig.5. Pseudo code of insertion sort



V. COMPARITIVE RESULTS

Quicksort is a recognized sorting algorithm proposed by Hoare [5] that on average basis makes $O(n \log n)$ comparisons to sort n items. However it makes $\Theta(n^2)$ comparisons in its worst case. Quicksort is a comparison sort and, in proficient implementations, is not a stable sort. Stable sorting algorithms maintain the relative order of records which have equal keys. This means, a sorting algorithm is called stable if there are two items X and Y with the equal key values and with X present before Y in the given list then X will come before Y in the final sorted list [6, 7]. As mentioned in [8], there are three well known divide-and-conquer approaches for sorting a sub array $A[p..r]$:-

- **Divide:** The array $A[p..r]$ is divided into two sub arrays (non empty), $A[p..q]$ And $A[q+1..r]$ such that every element of $A[p..q]$ is less than or equal to every element of $A[q+1..r]$. q is computed as a part of partitioning procedure.
- **Conquer:** Now sub arrays $A[p..q]$ and $A[q+1..r]$ are sorted recursively.
- **Combine:** Since the sub arrays are sorted, no effort is required to combine them, and the entire array A is sorted now.

The steps of Quick sort [2, 9] are:

- Pick an element as pivot from the given list.
- Arrange the list as all elements less than to pivot is at one side and greater elements are at others. Elements equal to pivot can come to either side because Quick Sort is not stable. After this, the pivot is at its final position. This is called the partition procedure.
- Now recursively sort the two sub-lists of elements.

The code of the Quick sort algorithm has two parts. The first part is a method named quicksort, which places the pivot at its correct position and divides the array into two parts recursively [10]. The other part is the function named "partition" which divides the part of the array between indexes "left" and "right", inclusively, by placing all the elements less than or equal to array named "pivotIndex" to the starting of the sub array, leaving all the elements greater than pivot after them. It for the time being moves the pivot to the last of the sub array, so it doesn't get in the way to create any conflict. Because it only uses swapping, the final list has exactly the same elements as that of original one [11, 12]. Note that an element may be swapped many times before getting its final position. The main differences between QUINSERTION sort algorithm and Quick sort algorithm are as follows:

- The QUINSERTION sort algorithm is stable in the sense that it maintains the order of elements with equal key value while Quicksort doesn't.
- In its best case, the QUINSERTION algorithm makes $O(n)$ comparisons while Quicksort makes $O(n \log n)$ comparisons to sort an average array of size n .
- The QUINSERTION algorithm is a bit faster than Quick sort when handling large sized input (n) arrays, and when the values (max) and (min) are much less than the n . In such case, the time complexity in average and worst cases of the QUINSERTION algorithm reaches $O(n)$, while Quicksort takes $O(n \log n)$ in the average case, and $O(n^2)$ in the worst case.
- The QUINSERTION algorithm is to be used to sort an array of dissimilar elements. In such case, algorithm takes $O(n + \max + \min)$ time only.
- The QUINSERTION algorithm improves the way Quicksort divides the given array. Quicksort moves the pivot to its correct position and then divides the array into two sub parts, and recursively follows the same procedure, until it reaches the base case. Unlike this, the QUINSERTION algorithm divides the array into three parts (arrays), positive, negative, and frequent elements, and swaps each element to its correct position in a single pass.

Table -1 Running time of quicksort and Quinsertion sort

Size of input	Running time of quick sort	Running time of quinsertion sort
1000	75ms	46ms
2000	78ms	49ms
5000	89ms	58ms

Table 1 shows the average running time for quinsertion and quick sort for different size of inputs.

VI. CONCLUSION

The quinsertion sort is an enhancement to quick sort which is trying to resolve the problem of quick sort which is that it takes maximum time complexity to sort already sorted data. Quick sort takes $O(n^2)$ performance complexity for its worst case that is to sort already sorted data and quinsertion takes around $O(n)$ performance complexity to sort already sorted data.



VII. REFERENCE

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